

Rapid Selection of W Columns (AASHTO Method of Design)

NARENDRA K. MEHTA

IN DESIGN of a column subjected to combined axial load and bending about one axis, use of the AASHTO formula in Appendix C of the AASHTO Specifications for the allowable column stress is tedious and time-consuming.

Rapid selection of the required column size for given forces can be made with the aid of curves presented here. Curves are developed for A36 steel, but can be used for A588 and other higher strength steels.

BASIC EQUATIONS

From Appendix C of AASHTO Specifications:

$$f_s = \frac{f_y/\eta}{1 + (0.25 + e_x''c/r^2) B \operatorname{Cosec} \phi} \quad \text{Eq. (A)}$$

$$\frac{L}{r} = \operatorname{Cos}^{-1} \alpha \left[\frac{E(1 + 0.25 + e_x''c/r^2)}{f_y} \right]^{1/2} \quad \text{Eq. (B)}$$

$$f_s = \frac{f_y/\eta}{(1 + 0.25 + e_x''c/r^2)} \quad \text{Eq. (C)}$$

The meaning of the different symbols is the same as given in Appendix C, except as defined below:

e_x'' = Eccentricity of applied load at end of column having the greater computed moment M_g , in.

$= M_g/P$

P = Axial compressive load, kips

Curves are developed using Eq. (C) for a number of wide flange (W) sections.

LIMITATIONS OF CURVES

Curves presented here can be used for the design of a column where the following conditions are applicable:

- Eq. (C) governs the design; i.e., the value of actual L/r is assumed to be less than or equal to the value given by Eq. (B).
- Allowable stress value obtained by ignoring moments and considering P load as concentric load, and using L/r about an axis perpendicular to the plane of bending, is assumed to be greater than that given by Eq. (C).
- Bending of the column is about the major axis.

Narendra K. Mehta is Structural Engineer with Sargent & Lundy, Engineers, Chicago, Ill.

USE OF CURVES

(a) *For A36 Steel:*

Enter the curves with known values of P and $e_x'' (= M_g/P)$.

(b) *For Higher Strength Steels:*

(1) Calculate value of given eccentricity ($e_x'' = M_g/P$).

(2) Calculate equivalent value of axial load P .

$$P' = (P \times 20 \times \eta)/f_y$$

For A588 steel ($F_y = 50$ ksi), $P' = 0.73P$

(3) Enter the curves with values of e_x'' and P' .

The curve which falls towards the right and above the point of intersection of P (or P') and e_x'' represents the required size of the column.

ILLUSTRATIVE EXAMPLES

Example 1

Given: $P = 195$ kips

$M_g = 3900$ in.-kips (bending about major axis)

A36 steel

Solution:

Assume W14 section required.

$$e_x'' = M_g/P = 3900/195 = 20.0 \text{ in.}$$

From Fig. 2 (for $P = 195$ kips and $e_x'' = 20$ in.):

W14×167 satisfies

Example 2

Given: $P = 411$ kips

$M_g = 2466$ in.-kips (bending about major axis)

A588 Steel ($F_y = 50$ ksi)

Solution:

Assume W12 section required.

$$e_x'' = M_g/P = 2466/411 = 6.0 \text{ in.}$$

For A588 steel ($F_y = 50$ ksi):

$$P' = 0.73P = 0.73 \times 411 \approx 300 \text{ kips}$$

Enter Fig. 3 with $P' = 300$ kips and $e_x'' = 6$ in.

W12×133 satisfies

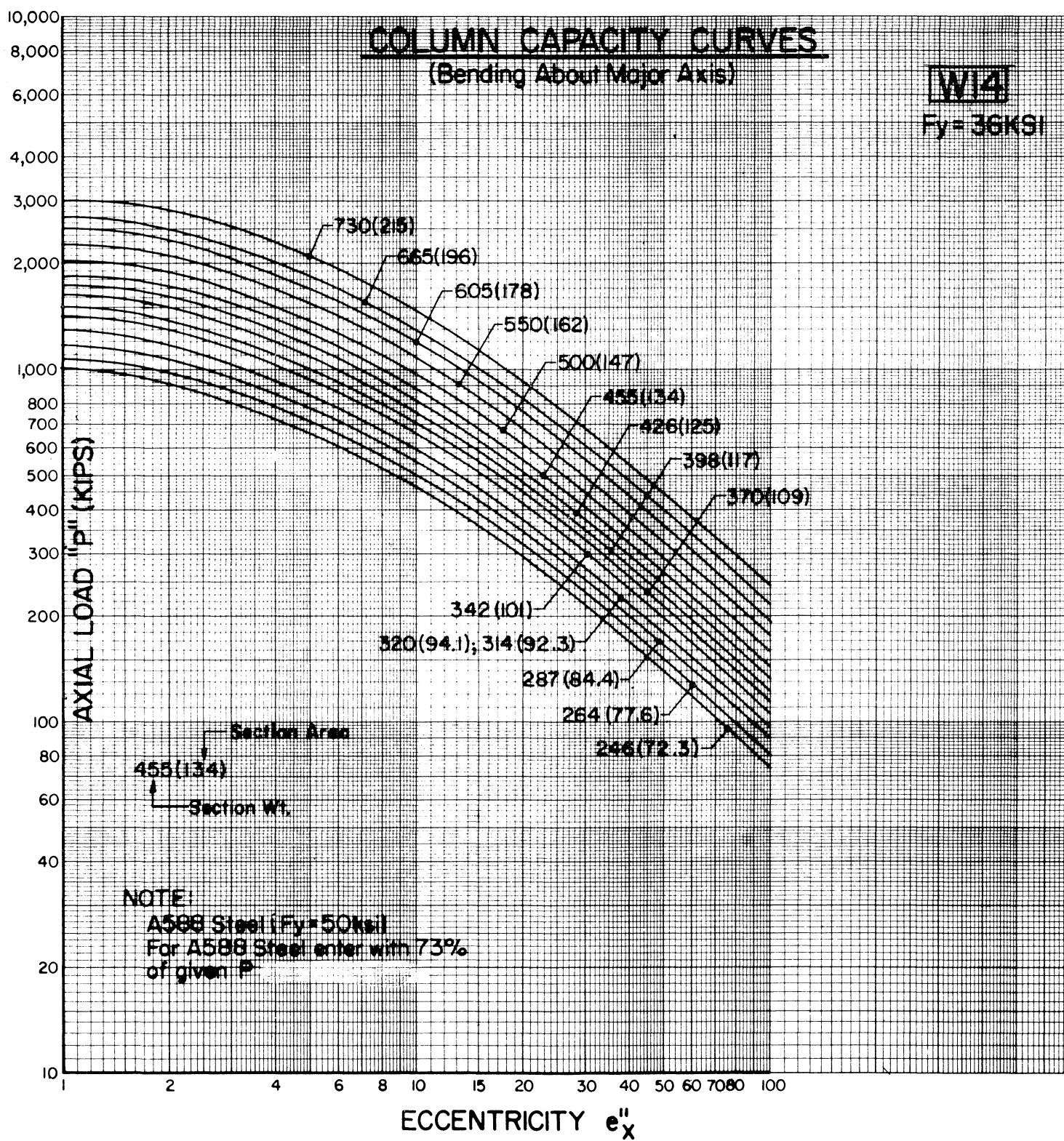


Figure 1

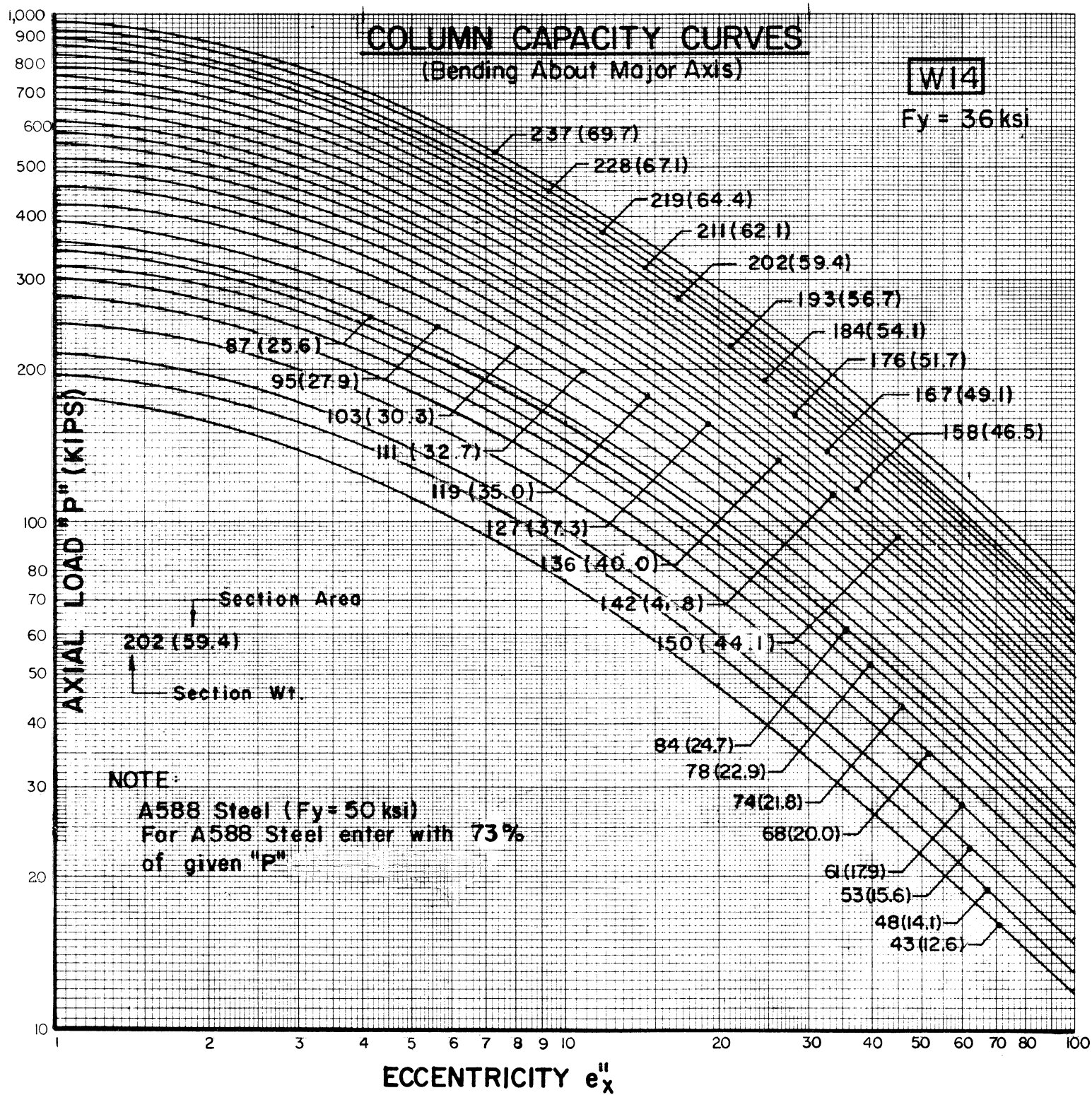


Figure 2

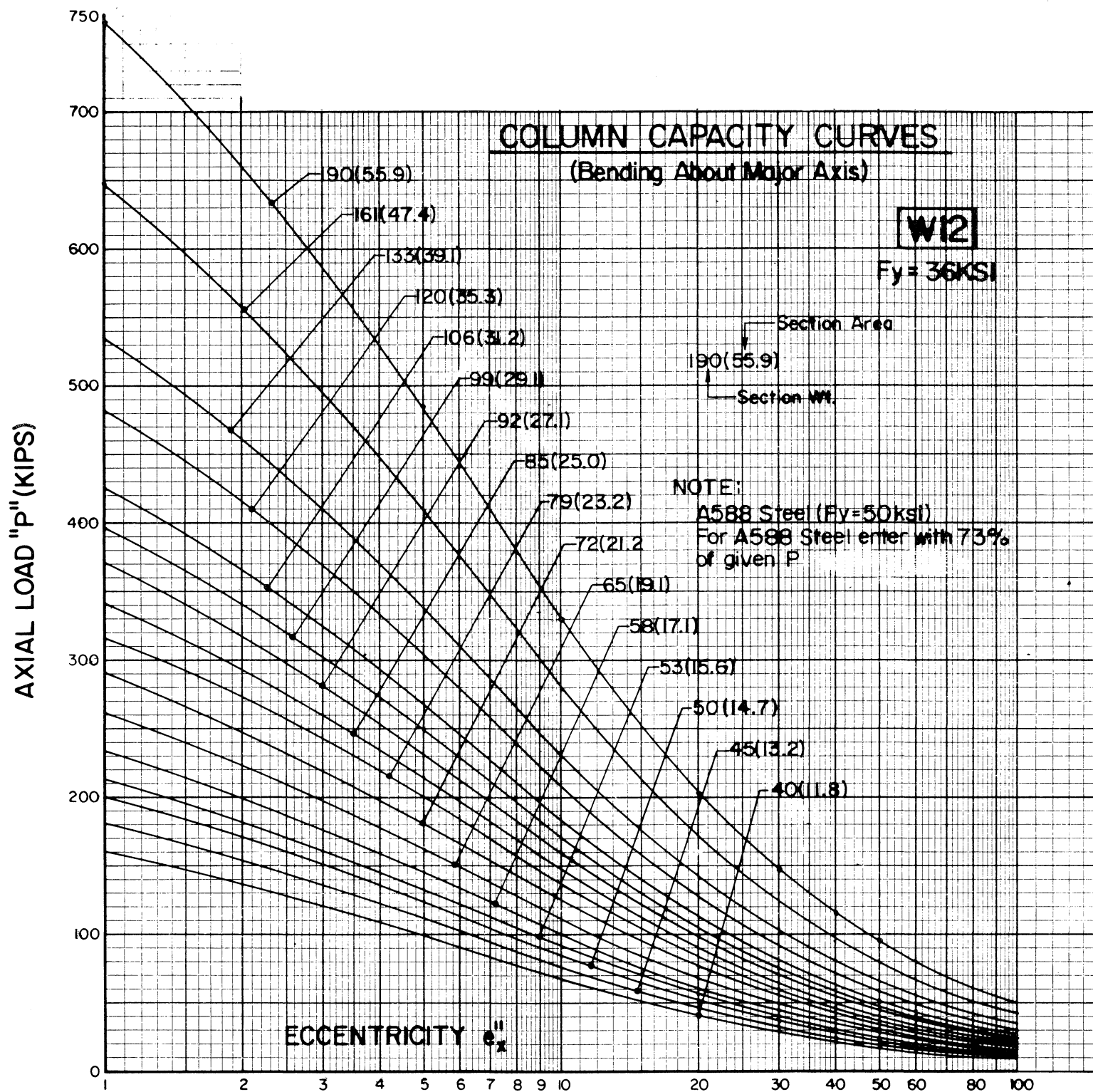


Figure 3

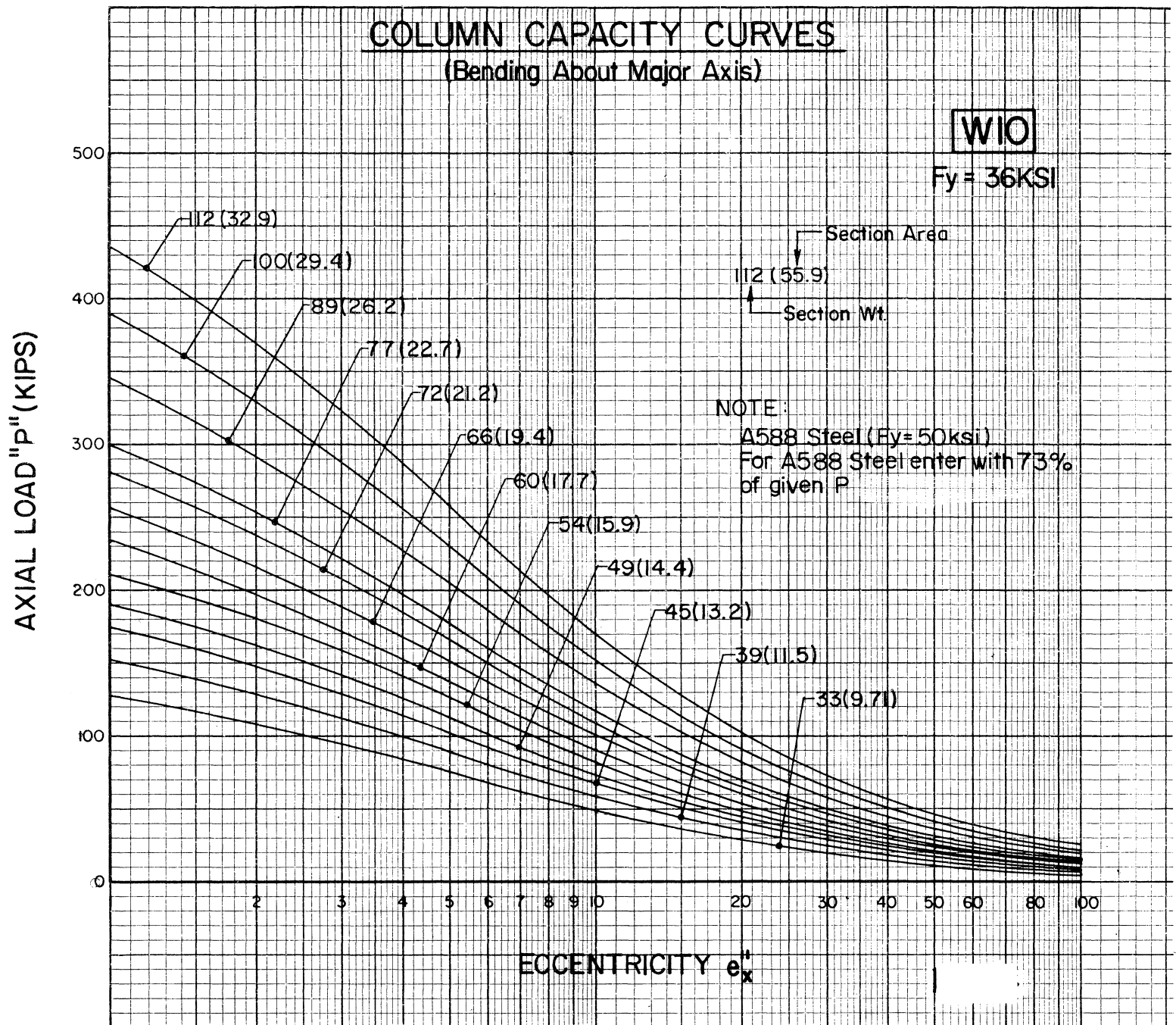


Figure 4

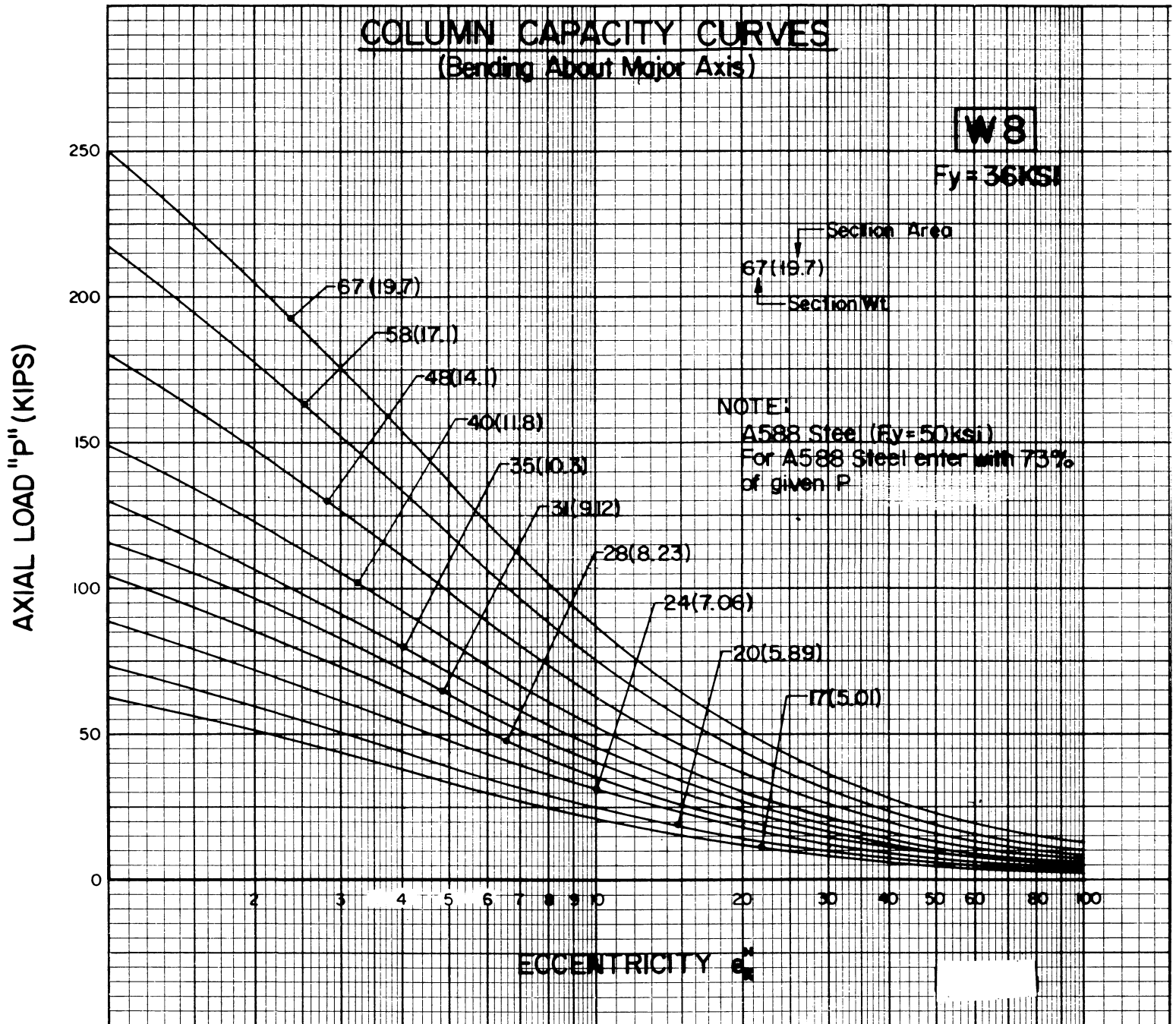


Figure 5